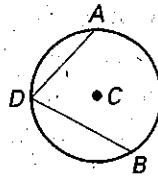


6.4

Use Inscribed Angles and Polygons

THEOREM 6.9: MEASURE OF AN INSCRIBED ANGLE THEOREM

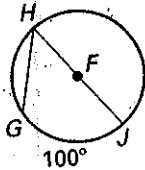
The measure of an inscribed angle is one half the measure of its intercepted arc.



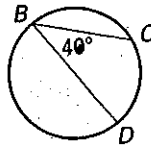
$$m\angle ADB = \frac{1}{2} \underline{\hspace{2cm}}$$

✓ **Checkpoint** Find the indicated measure.

1. $m\angle GHJ$



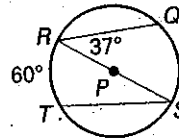
2. $m\widehat{CD}$



Find the indicated measure in $\odot P$.

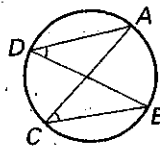
a. $m\angle S$

b. $m\widehat{RQ}$



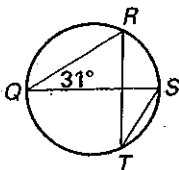
THEOREM 6.10

If two inscribed angles of a circle intercept the same arc, then the angles are congruent.



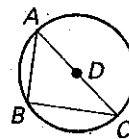
$$\angle ADB \cong \angle \underline{\hspace{2cm}}$$

3. Find $m\angle RTS$.



THEOREM 6.11

If a right triangle is inscribed in a circle, then the hypotenuse is a diameter of the circle. Conversely, if one side of an inscribed triangle is a diameter of the circle, then the triangle is a right triangle and the angle opposite the diameter is the right angle.

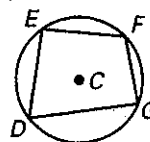


$m\angle ABC = 90^\circ$ if and only if _____ is a diameter of the circle.

THEOREM 6.12

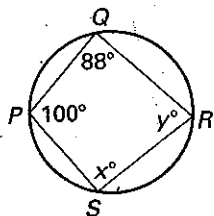
A quadrilateral can be inscribed in a circle if and only if its opposite angles are supplementary.

$D, E, F,$ and G lie on $\odot C$ if and only if $m\angle D + m\angle F = m\angle E + m\angle G = \underline{\hspace{2cm}}$.



Find the value of each variable.

a.



b.

